

System of Writing Tolerances: —

1. unilateral system
2. Bilateral system

1. unilateral system —

In this system the dimensions of the part is allowed to vary only on one side of the basic size i.e. tolerance lies wholly on one side of the basic size either above or below it.



1 —	20.0	+0.2	-0.01
2 —	20.0	+0.02	-0.00
3 —	20.0	+0.00	-0.02

$$4 = 20.0$$

$$+0.02$$

$$-0.02$$

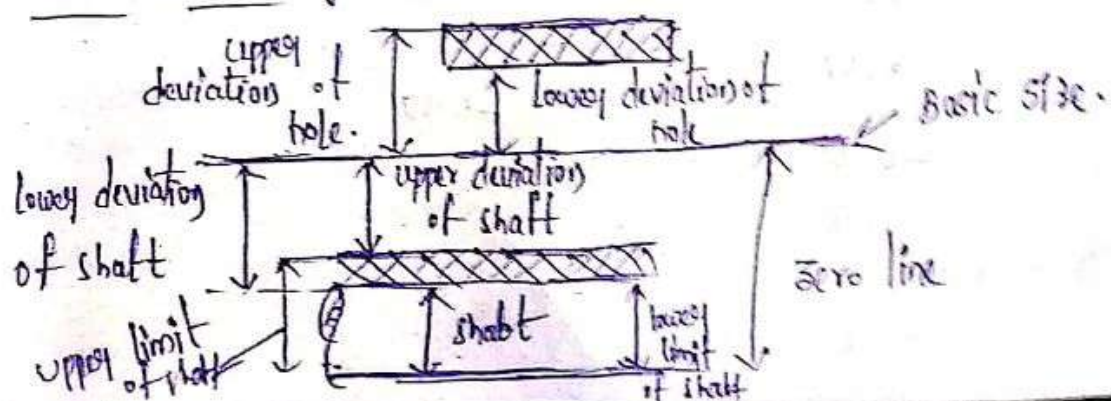
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Unilateral system is preferred in interchangeable manufacture especially when precision fits are required. because

1. It is easy and simple to determine deviation
2. Another advantage of this system is that Go gauge ends can be standardized as the whole of different tolerance grades as the same lower limit and all the shafts have same upper limit
3. This form of tolerance greatly assists the operator when Machining or Making parts

2. Bilateral System -

In this system the dimension of the part is allowed to vary on the both sides of the basic size i.e the limits of tolerance lie on either side of the basic size. but may not be necessarily equally disposed about it.

Conventional diagram of limits and fits :-



- i) shaft — The term shaft refers ~~to~~ not only to diameter of the circular shaft but also to any ^{external} dimensions of a component.
- ii) hole — the term hole refers not only to diameter of a circular hole but also any ~~external~~ internal dimensions of a component.
- iii) Basic (or) nominal size — It is a standard size of a part with reference to which the limits of variations of a size are determined.
- iv) Actual size — Actual size is the dimension as measured on the Manufactured product.
- v) Zero line — It is the straight line drawn horizontally to represent the basic size.
- vi) Deviation — It is the algebraic difference between the size and corresponding basic size.
- vii) upper deviation — It is the algebraic difference of the upper limit of the size and the corresponding basic size.
- viii) lower deviation — It is the algebraic difference of the lower limit of the size and corresponding basic size.

the upper deviation for a shaft is denoted by $+es$

" " " " a hole " " $+ES$

lower deviation it is designated by $+ei$ for shaft

" " " " $+EI$ for hole

the Tolerance is designated as 'IT' (International Tolerance)

Fundamental deviation —

the fundamental deviation is that one of the two deviations which is nearest to zero line either for a hole or a shaft. The fundamental deviations are designated by capital letters i.e. A, B, C, ..., Z, ZA, ZB, ZC and excluding a few alphabets I, L, O, Q, W, for a shaft it is designated by small letters i.e. a, b, c, ..., z, za, zb, zc

Basic shaft :- the basic shaft is the shaft whose upper deviation is zero. It is denoted by 'h'.

Basic hole :- It is defined as the hole as the lower deviation is zero. i.e. lower limit of the hole is same as basic size. It is denoted by 'H'.

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Tolerance zone of a part is bounded by the two limits of a part

Tolerance grade:- It is an indication of the degree of accuracy of a Manufacture, and it is designated (or) represented as 'IT' followed by number.

→ It varies from IT01, IT1, --- IT16

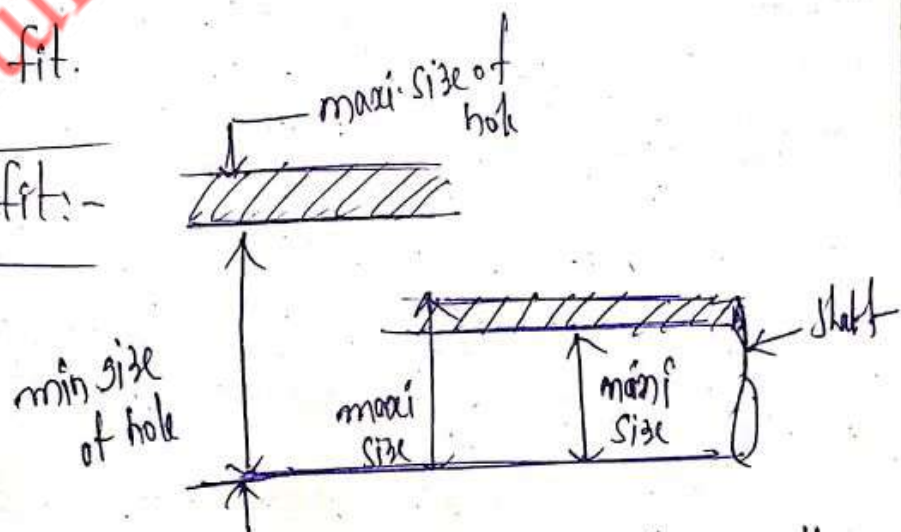
→ the larger the number larger will be Tolerance and the accuracy will be less then cost less

Types of fits:-

these fits are classified into three types

- i) clearance fit
- ii) Interference fit
- iii) Transition fit.

(i) clearance fit:-



In the clearance fit the shaft is always smaller than the hole i.e. the largest permissible ^{shaft} diameter is smaller than the dimension of the smallest hole.

So that the shaft can rotate (or) slide with different degrees of freedom, it is further classified as

- (a) slide fit
- (b) easy slide fit
- (c) running fit
- (d) slack running fit
- (e) loose running fit.

Maximum clearance — the diff b/w the Maximum size of hole to Minimum size of the shaft

Minimum clearance — the diff b/w the Minimum size of the hole to Maximum size of the shaft

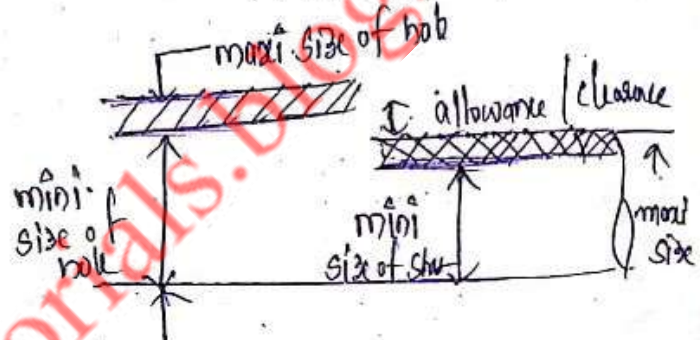
ii) Interference fit :-

Q) The limits shown on a drawing for the mating hole and shaft are for the hole $50.000^{+0.046}_{-0.000}$ mm, for shaft $50.000^{-0.010}_{-0.029}$ mm. State the type of fit and find the allowance. What is the greatest possible amount of clearance or interference.

Sol → Given hole $50.000^{+0.046}_{-0.000}$ mm, shaft $50.000^{-0.010}_{-0.029}$ mm

$50.000, 50.046$

$49.99, 49.971$



Maxi-metal limit of hole = 50.000 mm

Max metal limit of shaft = 49.99 mm

The type of fit is clearance fit

Mini-clearance = mini. size of hole - Maxi. size of shaft

$$= 50.000 - 49.99$$

$$= 0.01 \text{ mm}$$

Maxi. clearance = Maxi. size of hole - Mini size of shaft

$$= 50.046 - 49.971 = 0.075 \text{ mm}$$

Allowance = maxi metal limit of hole - maxi metal limit of shaft

$$= 50.0 - 49.99 = 0.01 \text{ mm}$$

- ② the limits for a hole and a shaft combination are for hole
 $+0.035$
 80.000 mm for shaft $+0.093$
 -0.000 $+0.071$
 state the type of fit and
 find the allowance what is the greatest possible amount of
 clearance (or) interference.

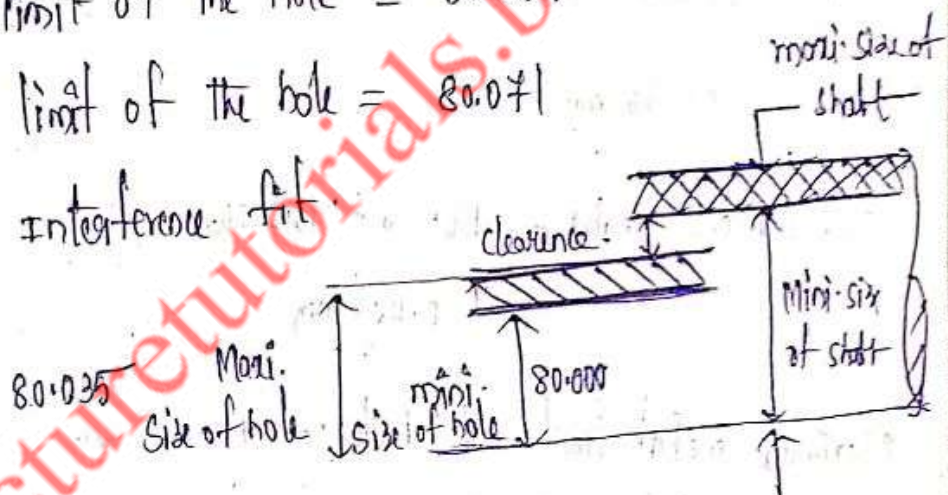
Sol → Given hole — 80.000 $+0.035$ shaft — 80.000 $+0.093$
 -0.000 $+0.071$

80.035 , 80.000 80.093 , 80.071

Mini. metal limit of the hole = 80.035

Maxi. metal limit of the hole = 80.071

It is a interference fit.



Allowance — Maxi. metal limit of Shaft — maxi. metal of hole

$$= 80.093 - 80.00$$

$$= 0.093$$

greatest interference = allowance

③ Maximum metal limit for the shaft is 100.026 mm
 Maximum metal limit for the hole is 100.000 mm , minimum
 metal limit for the hole is 100.036 mm , determine minimum
 metal limit for the shaft is 100.003 mm determine the
 Type of fit. and find the allowance, Tolerance for shaft & hole

Sol

Tolerance of hole

$$= 100.036 - 100.000$$

$$= 0.036 \text{ mm}$$

$$\text{Tolerance of shaft} = 100.026 - 100.003$$

$$= 0.023 \text{ mm}$$

$$\text{Maximum metal limit of hole} = 100.000 \text{ mm}$$

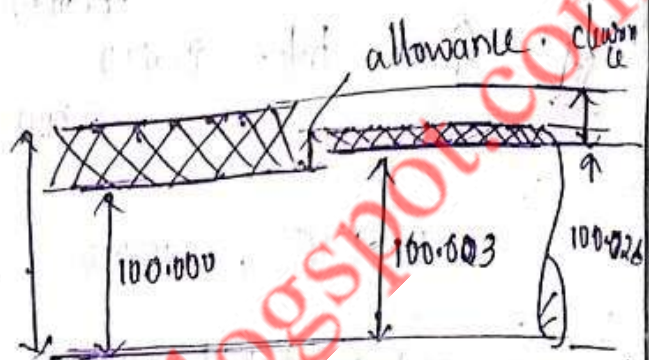
$$\text{Maximum metal limit of shaft} = 100.026 \text{ mm}$$

↑ It is interference fit when Maximum metal limits
 of both shaft & hole are considered.

$$\text{Minimum metal limit of hole} = 100.036$$

$$\text{Maximum metal limit of shaft} = 100.026$$

↑ It is clearance fit when Minimum metal limits
 of both shaft & hole are considered.

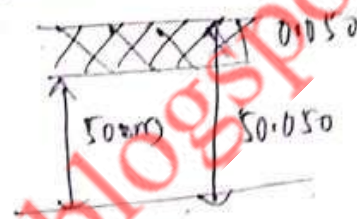


allowance - Maximum metal limit of shaft - minimum limit of hole

$$= 100.026 - 100.00$$

$$= \underline{\underline{0.026}}$$

- ④ A 50mm diameter is made to rotate in the bush the tolerance for both shaft and bush are 0.050 mm determine the dimensions of shaft and bush, give an allowance of 0.075 mm with a hole basis system.



Sol

for a hole basis system lower limit of hole is fixed = basic size.

$$\begin{aligned}\text{upper limit of hole} &= \text{lower limit} + \text{Tolerance} \\ &= 50.000 + 0.050 \\ &= 50.050 \text{ mm}\end{aligned}$$

$$\begin{aligned}\text{Higher limit of shaft} &= \text{lower limit of hole} - \text{allowance} \\ &= 50.000 - 0.075 \\ &= 49.925 \text{ mm}\end{aligned}$$

$$\begin{aligned}\text{lower limit of shaft} &= \text{Upper limit of shaft} - \text{tolerance} \\ &= 49.925 - 0.050 \\ &= 49.875 \text{ mm}\end{aligned}$$

→ The tolerance value is calculated using the relation

$$IT_5 \text{ to } IT_{16} \rightarrow i = [0.453 \sqrt[3]{D} + 0.001D] \text{ microns}$$

Where, D - Diameter of the part in mm, and

$0.001D$ is the linear factor

and D is calculated by $D = \sqrt{D_{\max} \times D_{\min}}$

→ For IT01, $i = 0.3 + 0.008D$

→ For IT0, $i = 0.5 + 0.012D$

→ For IT1, $i = 0.8 + 0.020D$

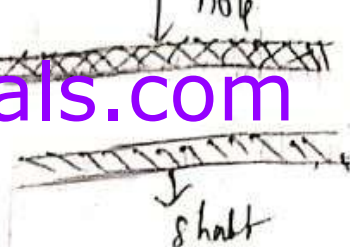
Various diameter steps:-

1-2, 3-6, 6-10, 10-18, 18-30, 30-50, 50-80,
80-120, 120-180, 180-250, 250-315, 315-400, 400-500,
500-630, 630-800, 800-1000

① Design the general type of go and no-go gauges as per the British system for a 40mm shaft and hole pair designated as 40H8/h7. Given that $i = 0.453 \sqrt[3]{D} + 0.001D$, $IT_8 = 25i$, $IT_7 = 16i$, upper deviation of shaft $+0.044$ and also sketch the hole and shaft with their tolerances.

So → Given 40 size diameter falls under 30-50mm
Diameter $D = \sqrt{D_{\max} \times D_{\min}}$

$$D = 38.72 \text{ mm}$$



Fundamental Tolerance $i = 0.453 \sqrt[3]{D} + 0.001 D$

$$i = 1.571 \text{ microns}$$

For hole quality $H_8 = 25 \times i$

$$= 25 \times 1.571$$

$$= 39.28 \text{ microns}$$

For the hole the fundamental deviation is zero

the lower limit of the hole = 40 mm

upper limit of the hole = 40 + Tolerance

$$= 40 + 0.039$$

$$= 40.039 \text{ mm}$$

For shaft quality

the fundamental Tolerance is $d_9 = 40 \times i$

$$= 40 \times 1.571$$

$$= 62.84 \text{ microns}$$

For the shaft the fundamental deviation is given by

$$= -16 D^{0.44}$$

$$= -16 \times 38.72^{0.44}$$

$$= -79.96 \text{ microns} \Rightarrow -0.0799 \text{ mm}$$

the limit for the shaft are as follows
 upper limit of shaft = 40 - fundamental deviation
 = 40 - 0.079

$$= 39.921 \text{ mm}$$

lower limit of the shaft = 40 - [0.079 + tolerance]

$$= 40 - [0.079 + 0.062]$$

$$= 39.859$$

Tolerance of shaft = upper limit of shaft - lower limit of shaft

$$= 39.921 - 39.859$$

$$= 0.062$$

② design and sketch the hole and shaft system of a shaft ± 8 and multiplication factors for the hole and shaft Tolerances are 16 and 25 and the upper deviation of the shaft is $-160^{0.44}$

Sol → Given 32 mm diameter falls under 30-50 mm

$$\text{Diameter } D = \sqrt{D_{\max} \times D_{\min}} = \sqrt{50 \times 30} \\ = 38.72 \text{ mm}$$

$$\text{Fundamental Tolerance } i = 0.453 \sqrt[3]{D} + 0.001 D \\ = 1.57 \text{ microns.}$$

for Hole quality $H_7 = 16 \times i$

$$= 16 \times 1.57 \Rightarrow 25.12 \Rightarrow 0.025 \text{ mm}$$

lowest limit of hole = 32 mm
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The fundamental deviation of hole is 0
upper limit of hole = $32 + 0.025$
 $= 32.025 \text{ mm}$

For shaft quality $m_8 = 25 \times 1$

Fundamental Tolerance = $25 \times 1.571 = 39.28 \text{ microns}$
 $= 0.039 \text{ mm}$

For shaft the fundamental deviation is given by

$$= -16D^{0.44}$$

$$= -16 \times 38.72^{0.44}$$

$$= -79.94 \text{ microns}$$

$$= -0.079 \text{ mm}$$

$$\text{upper limit of shaft} = 32 - 0.079$$

$$= 31.921 \text{ mm}$$

$$\text{lower limit of shaft} = 32 - (0.079 + 0.039)$$

$$= 31.882$$

$$\text{Tolerance of shaft} = \text{upper limit} - \text{lower limit}$$

$$= 31.921 - 31.882$$

$$= 0.039 \text{ mm}$$

Line standard

- When the length being measured is expressed as the distance between the two lines. This is known as line standard.
- A scale is quick and easy to use over a wide range of dimension.
- The line standards are not accurate as end standards and can't be used for close tolerance measurements.
- A steel scale can be read to about $\pm 0.2 \text{ mm}$ of true value.
- The scale graduations are not subjected to ~~wear~~ ^{wear} although significance when on leading, and leads to under sizing.
- The scales are subjected to parallel error of reading. They may be +ve or -ve reading.
- Errors due to inaccuracy of graduations engraved on the scale are possible.
- A scale doesn't provide a built in measuring datum.

End standards:-

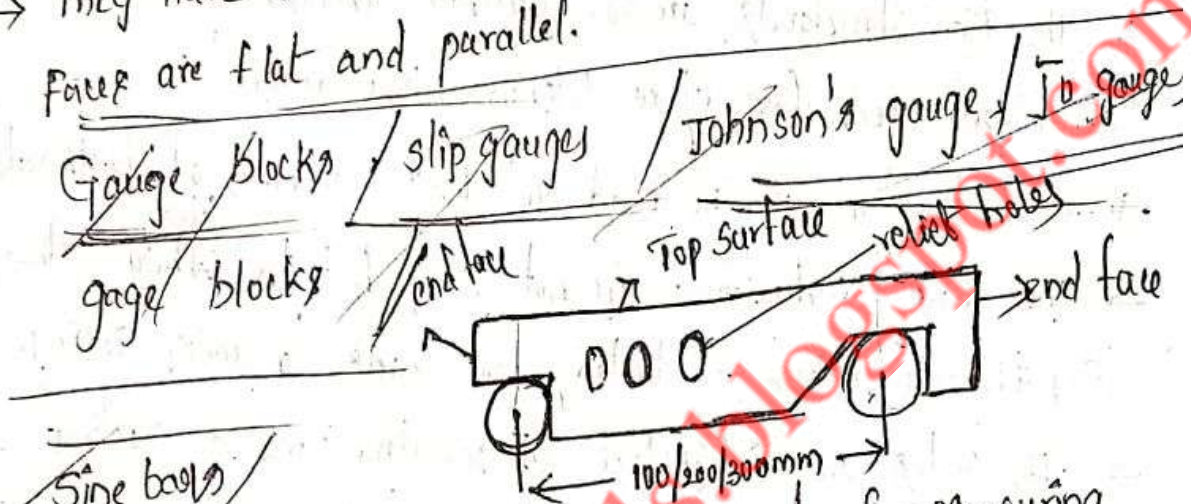
- When the length being measured is expressed as the distance b/w the two surfaces or ends. This known as

End standards

- They are time consuming to use and provide only 1 dimension at a time.
- End standards are highly accurate and well suitable for close tolerance measurement i.e. 0.0005 mm can be obtained.

- They are subjected wear on their measuring surfaces also
 wringing of slip gauges leads to damage
- the parallel error is not associated with such type of measurement because the distance is measured b/w two flat surfaces.

→ They have a built in measuring datum as their measuring faces are flat and parallel.



Sine bars

→ 'sin' bar is the most accurate instrument for measuring angles. it consists of a accurate straight rectangular bar made up of high quality steel and having two accurately lapped cylindrical ~~face~~ plugs ~~at the~~ rollers at the ends. the rollers are so fixed that when the sin bar is placed on the surface plate the surface of the bar is exactly parallel to surface plate. the various parts of the sin bar are hardened before grinding and lapping.

→ A sin bar is to be accurate then the following property must exist.

→ the distance b/w centers must be precisely known

→ the axis of rollers must be parallel to each other.
→ The upper surface of the sin bar must be flat and parallel.

→ The rollers must be of identical diameters and ground to within a close tolerance.

Sources of errors and sin bars

→ Constant angle error -

This is caused if the working surface and the cylinder axis are not parallel.

→ Progressive angle error -

This is due to the error in cylinder centre distance.

→ Gauge block Tolerance &

accumulation is also source of progressive error.

Bevel protractor:-

A circle can be divided into 360^{equal} angles each angle is called a degree.

A circle is 360° for calculation a degree is divided into 60 parts called 'minutes' and a minute is divided into 60 sub parts called 'seconds'.

The Bevel protractor is used to establish and test angles to very close tolerances.

It reads up to $5 \text{ min. } (0.5^\circ)$ and can be used completely through 360° . The bevel protractor consists of a beam graduated dial and blade which is connected to swivel plate by thumb nut and clamp.

When the edges of the beam and blade are parallel a small line on the swivel plate coincides with the zero line on the graduated dial. and when any measurement of angle between the beam and the blade of 90° (or) under desired the reading may be obtained direct from the position of the line on the swivel plate with regard to the graduation number on the dial.

Since the spaces both on the main scale and the vernier scale are numbered both to the right and to the left from zero any angle can be measured. The readings can be taken either to the right or to the left according to the direction in which the zero on the main scale is moved.

The bevel protractor vernier scale indicates every 5 minutes (or) $\frac{1}{20}^\circ$. Each space on the vernier scale is $5'$ less than a space on the main scale.

24 spaces on the vernier scale equal extreme length 23° double degree. Thus the difference b/w the space occupied by 2° on a main scale and the space of the vernier scale is equal to $\frac{1}{24}^\circ$ or $2.5'$ or 0.042° of 1° or 5 minutes.

Angle Gauge - An angle gauge is a hardened steel block approximately 75mm long, 16mm wide which has two lapped flat working faces lying at a very precise angle to each other. They are supplied in a set of 13 and can be wrong together (stacked) to form desired angles.

The arrangement allows angles in 3 sec step to be obtained and thus no required angle expressed in whole seconds can be more than 1.5 sec in nominal error. An additional block having an angle of 9° is also available so that a 90° angle can be built up.

Two diff grades are available - A & B. The only difference in a B Type 0.05 when it's excluded and thus consists of only 12 gauges.

Sine Center -

Sine Center basically a sine bar with blocks holding centers which can be adjusted and rigidly clamped in any position. The sine centers are used for inspection of conical objects ^{blw} centers. They are used upto inclination of 60° . The rollers are clamped firmly to the body without any play.

Autocollimator:

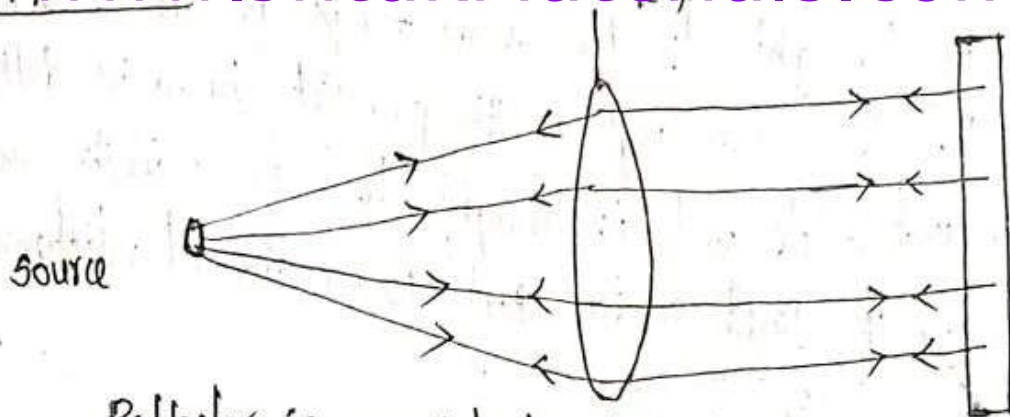
It is an optical instrument for noncontact measurement of angles. They are typically used to align components and measure deflections in optical or mechanical systems. An autocollimator works by projecting an image on to a target mirror and measuring the deflections of the return image against a scale either visually or by means of electronic detector. A ^{visual} ~~vision~~ autocollimator can measure angles as small as 1 arc second i.e. $4.85 \text{ micro radians}$ while an electronic autocollimator can have up to 1000 times more resolution.

Principle:-

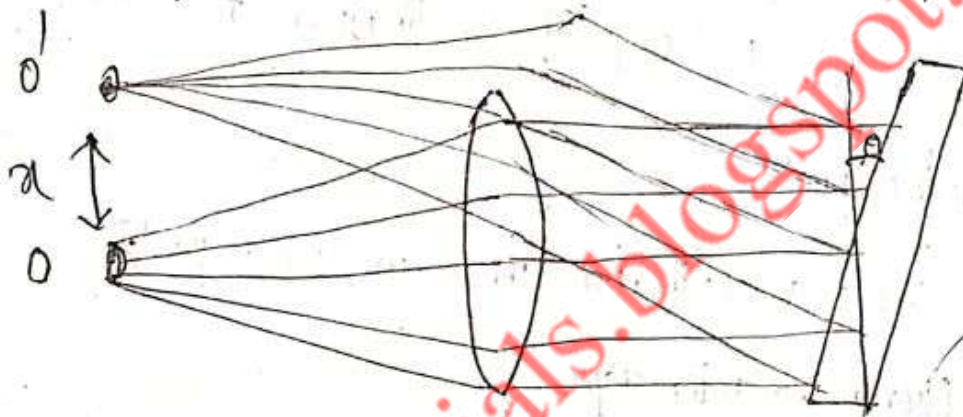
→ When a beam of rays coming out from a monochromatic source of light are made parallel by placing a collimating lens and if these parallel rays ^{are} made to fall on reflector. The rays reflect back and travel in the same path and converge at the source through the lens.

→ If the reflector is tilted by an angle θ then the reflected rays make an angle 2θ and converge at point O' .

→ $O, O' = 2\theta f$ where f - focal length i.e. the distance between the source and collimator.



Reflector is parallel to the lens.



Application

- Measurement of straightness and flatness
- precise angular indexing in conjunction with polygons
- Comparative measurement using master angles
- Assessment of squareness and parallelism of components
- Measurement of small linear dimensions.

Working of collimator: -

If a light source is placed in the focus of a collimating lens it is projected as a parallel beam of light if this beam is made to strike a plane reflector kept normal to the optical

axis. It is reflected back along its own path and is brought to the same focus if the reflector is tilted to a small angle θ . The parallel beam is deflected twice that angle and is brought to a focus in the same plane as the light source but to one side at a distance x , $x = 2f\theta$.

Where f - focal length

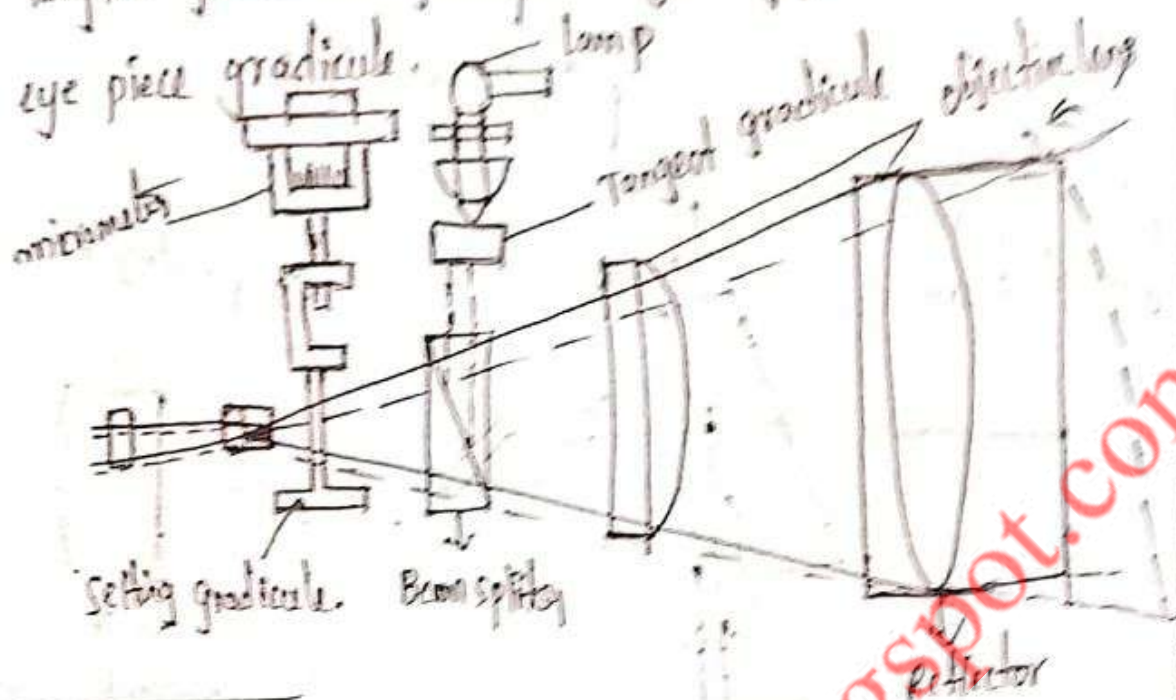
θ - angle of inclination of reflecting mirror

Construction -

In an autocollimator there are three parts.

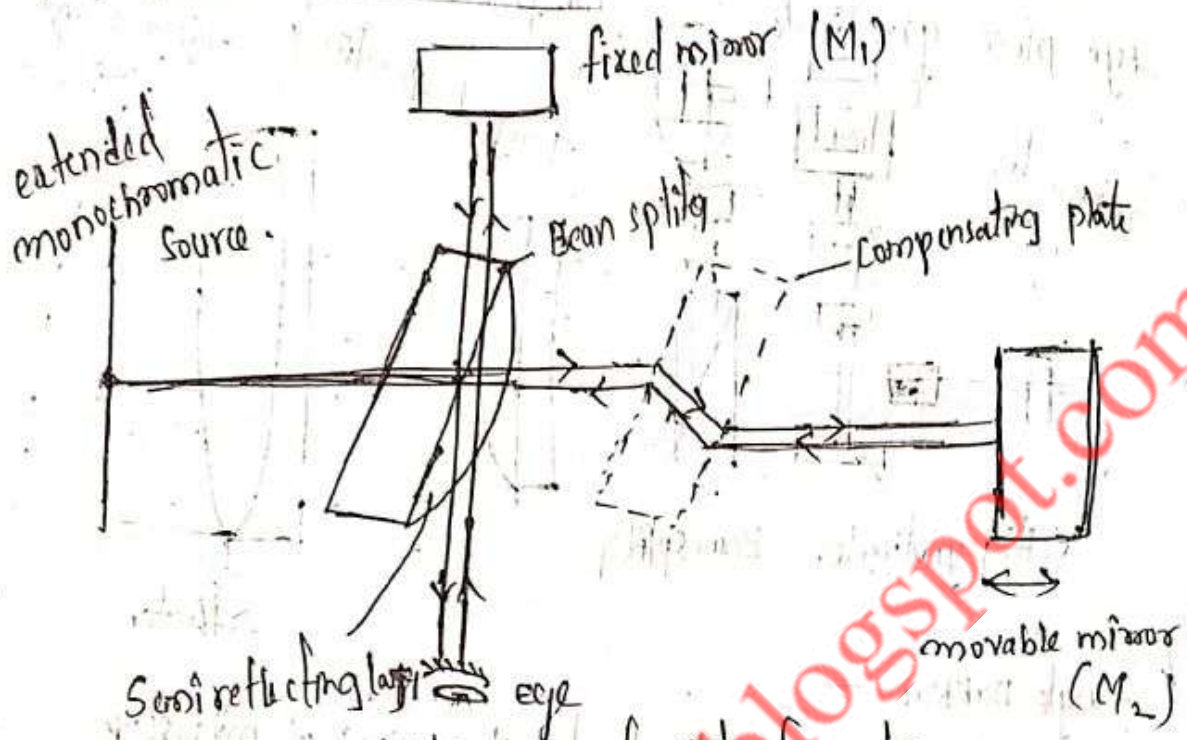
- Micrometer microscope
- lighting unit
- Collimating lens

A 45° transparent beam splitter reflects the light from the graduated scale towards the object i.e. collimating lens. The image seen after reflection in the external reflector whose angular variation are being measured is formed by the light from the objective lens. This light passes through the beam splitter and the image is picked by the microscope for simultaneous measurements in two planes at right angles. A micrometer is fitted to the

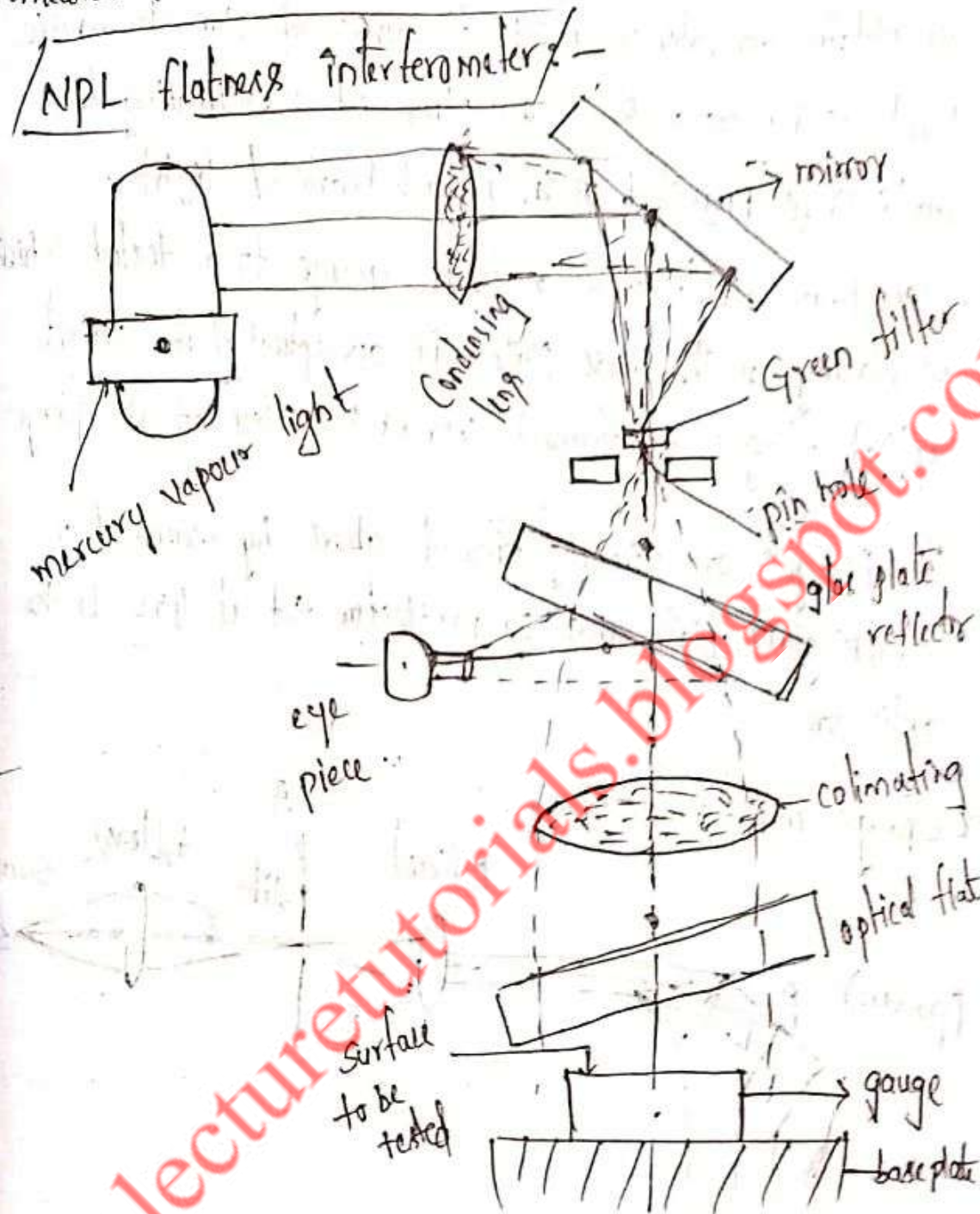


Angle DAKKOR: -

- This is a type of autocollimator. It consists of microscope objective lens and two scales engraved on a glass screen which is placed in the focal plane of objective lens one of the scales called datum scale is horizontal and fixed
- It is engraved across the centre of the screen and is always visible in the microscope eye piece
- Another scale is an illuminated vertical scale fixed across the centre of the screen and the reflected image of the illuminated scale is received at right angles to this fixed scale and the two scales in the position intersect each other thus the reading on the illuminated scale measures angular deviations from one axis at 90° to the optical axis



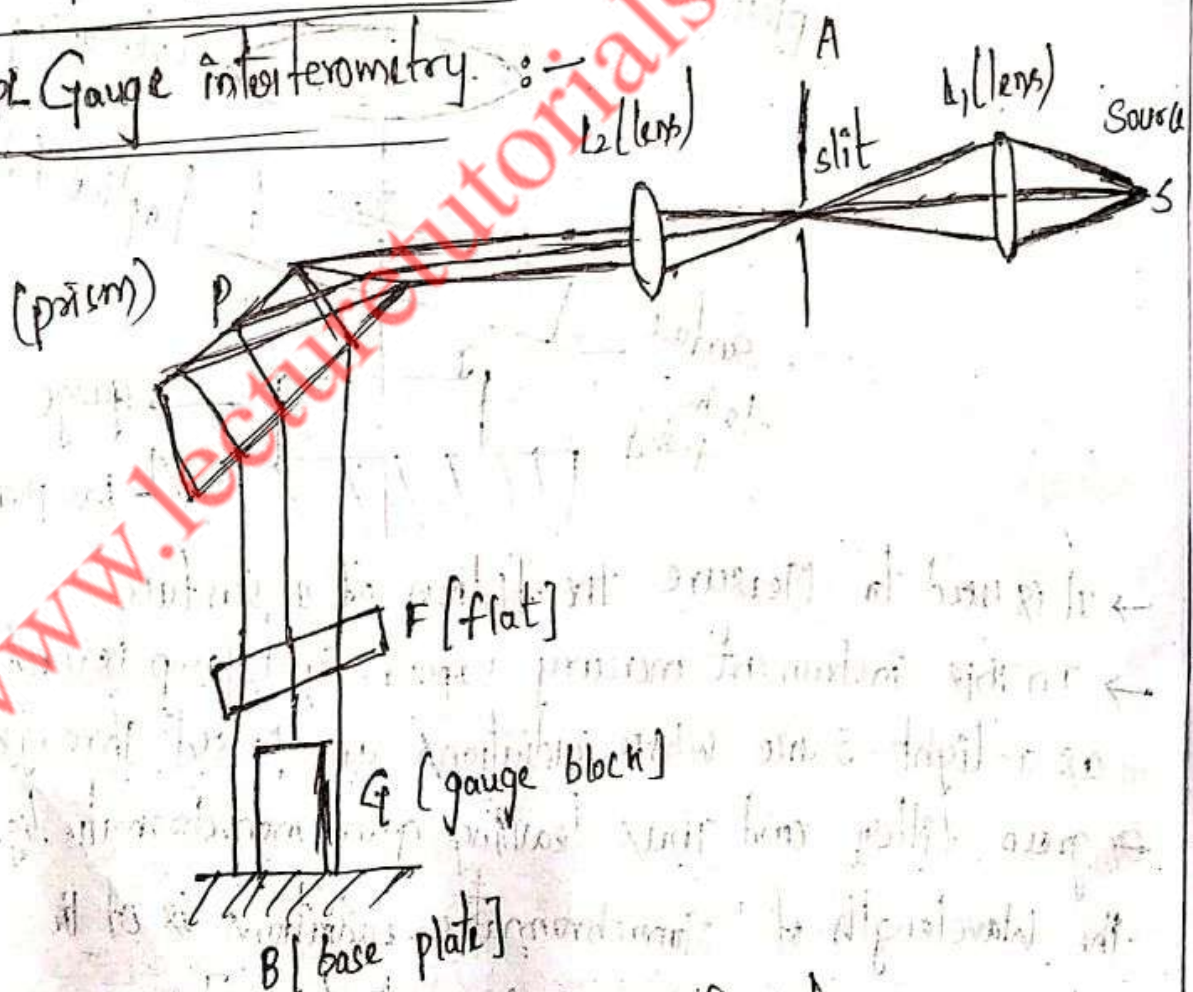
- This is the oldest type of interferometer
- It utilizes monochromatic light from an extended source
- The Monochromatic light falls on a beam splitter consisting of semi reflecting layer
- the light ray is divided into two parts i.e. one is transmitted through compensating plate to the mirror M_1 and the other is reflected to the beam splitter to mirror M_2
- From both these mirrors the rays are reflected back and they reunite at the semi reflecting surface and they are transmitted to the eye and the fringes can be observed.
- Mirror M_2 is fixed and M_1 is free (or) movable i.e. it is attached to the object whose dimension is to be



- It is used to Measure the flatness of a surface
- In this instrument mercury vapour light/lamp is used as a light source whose radiations are passed through a green filter and thus leaving green monochromatic light. The wavelength of monochromatic radiations is of the order of 0.0005 mm [i.e. $0.5\text{ micrometer}/\mu\text{m}$]

- This deviation is brought to focus on pin hole accordingly to obtain an intense point of source of Monochromatic light which is in the focal plane of a collimating lens and is thus projected as the parallel beam of light.
- The beam is directed on to the gauge to be tested which is lying on the base plate via an optical flat so that optical fringes are formed across the face of the gauge.
- The fringes are directly viewed above by means of a thick glass plate that semi reflector set at 45° to the optical axis.

NPL Gauge interferometry :-



It is also called Gauge interferometer.

- It is used to determine the actual dimension (i) absolute length of the gauges
- The light from the source falls on the slit 'A' through the lens L_1
- After collimation by lens L_2 it goes through constant deviation prism 'P' whose rotation determine wavelength pass
- passed through reference flat 'F' to upper surface of the gauge block 'G' and base plate 'B' to which it is working
- light is reflected back in mirror 'P' and its pattern are observed through a telescope
- This instrument should be used in standard conditions of temperature and pressure.

Interferometer :-

- These are optical instruments used for measuring flatness and determining the length of slip gauges they are based upon the interference principle and employ wavelength of light as their measuring units
- The interferometer makes use of some type of beam divider, that splits an incoming ray into two parts
- These two parts of the ray travel along different paths until they are recombine usually in the same beam divider.

→ In interferometers, the lay of optical flat can be controlled and the fringes can be oriented to the best advantage.

→ An arrangement to view the fringes directly from top and above the fringes is also incorporated.